

Pharmacokinetic Tricks and Traps: Drug Dosage Adjustment in Renal Failure

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Consider a drug that is not bound to blood components, completely eliminated by the kidneys, and for which drug clearance is directly proportional to creatinine clearance. Inasmuch as there are no metabolites, pharmacodynamic activity and toxicity, either directly or indirectly, will be related to plasma concentrations. Assume a representative 80 kg patient with a creatinine clearance of 140 mL/min receives a maintenance dose of 400 mg Q 12 h. Assuming one wishes to keep the dosing interval constant, and simultaneously maintain the same average steady-state plasma concentration, what will be the appropriate maintenance dose for a 50 kg renally impaired patient having a creatinine clearance of 70 mL/min? Based on the ratio of raw creatinine clearances (70 mL/min vs. 140 mL/min), the dose would be 200 mg Q 12 h. However, based on comparative mg/kg doses, the renally impaired subject would receive 80% the mg/kg dose of the patient with normal renal function (4.0 vs. 5.0 mg/kg Q 12 h, respectively). Although somewhat counter-intuitive, this latter calculation is correct, primarily because the “renally impaired” subject is not renally impaired at all. Although common to define mild renal impairment in terms of a creatinine clearance between 50-80 mL/min, this categorization fails to consider body weight as a necessary co-variable. Dosage adjustment in renally impaired subjects need therefore be discussed in terms of both absolute (mg) and weight-adjusted (mg/kg) doses.

An additional aspect of data analysis in renal failure studies that unfortunately has received little attention

pertains to adjustment of creatinine clearance for body surface area, usually through normalization to 1.73 m² body surface area. Although intuitively appealing, this practice is superfluous.

The simplest and most commonly employed equation relating drug clearance to creatinine clearance is:

$$CL = aCL_{Cr} + CL_{NR} \quad (\text{Eq. 1})$$

where CL is drug clearance, *a* is a proportionality constant, *CL_{Cr}* is creatinine clearance and *CL_{NR}* is non-renal drug clearance. A plot, such as illustrated in Figure 1, is often used to estimate drug clearance as a function of renal status, where creatinine clearance is either measured or calculated from serum creatinine (see Cockcroft and Gault (1) for widely used equations for estimating creatinine clearance from serum creatinine).

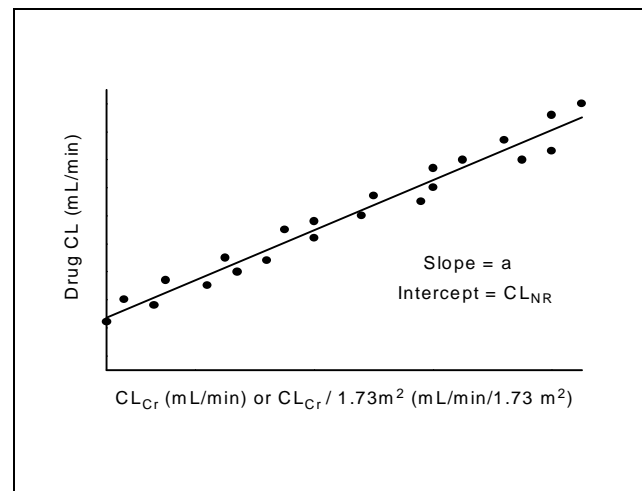


Figure 1. Linear relationship between drug clearance and creatinine clearance (raw or “normalized” to 1.73 m² body surface area.

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As illustrated in Figure 1, two independent variables commonly utilized are: (1) raw creatinine clearance (mL/min); and (2) creatinine clearance adjusted to 1.73 m^2 body surface area (mL/min/ 1.73 m^2). However, **there is no a priori reason to adjust units of creatinine clearance for body surface area or any other normalization factor**, since factors correlating with or impacting on creatinine clearance are just as likely to affect drug clearance in an analogous fashion. Hence, abscissa and ordinate volume/time units simultaneously and tacitly adjust for clearance correlates such as body surface area, and there is no need to adjust creatinine clearance any further, e.g., by normalizing to a 1.73 m^2 body surface area.

In a linear system (assumed throughout), average steady-state drug plasma concentration is given by Wagner et al (2):

$$C_{av} = \frac{FD}{\tau CL} \quad (\text{Eq. 2})$$

where C_{av} is average steady-state drug plasma concentration, F is absolute bioavailability, τ is dosage interval, and CL is clearance. It is apparent that C_{av} is directly proportional to rate of dosing (FD/τ) and inversely related to CL . Assuming rate of dosing remains unaltered, C_{av} will change if CL changes, as in renal impairment for a drug eliminated by the kidneys. One primary principle utilized for dosage adjustment (reduction) in renal failure, therefore, is to reduce rate of dosing in such a manner that the ratio of rate of dosing to CL is the same as in normal patients. This will then result in C_{av} values remaining unchanged in normal vs. renally impaired subjects.

As suggested above, to maintain a fixed C_{av} , rate of dosing in renally impaired patients need only be reduced by the same percentage as the reduction in drug CL . Consequently, the adjusted dose in a renally impaired subject is calculated as the ratio of drug CL in that subject to that of a normal, non-renally impaired subject, viz.:

Percent of Normal Dose for a Renally Impaired Subject

$$= \frac{\text{Drug CL (Renally Impaired)}}{\text{Drug CL (Normal)}} = \frac{a(CL_{Cr})_{RI} + CL_{NR}}{a(CL_{Cr})_N + CL_{NR}} \quad (\text{Eq. 3})$$

where the subscript RI refers to a renally impaired subject, and the subscript N refers to a normal subject. For example, assume the following values in a normal subject: $a = 0.1$, $CL_{Cr} = 126 \text{ mL/min}$, and $CL_{NR} = 1.5 \text{ mL/min}$; for the renally impaired subject, assume CL_{Cr} drops to 30 mL/min , and, since they are fixed parameters, a and CL_{NR} remain the same. Consequently the renally impaired subject would receive 31.9% of the normal dose (expressed in terms of amount, e.g., mg).

Assuming the normal population has a mean weight of 74 kg, the appropriate equation for calculation of mg/kg doses in renally impaired subjects is:

$$\text{Dose (mg / kg)} = \left[\frac{\text{Dose (mg / kg) in normal subject with a creatinine clearance of 126 mL / min \& weighing 74 kg}}{a} \right] \times \left[\frac{\text{Wt of normal patient, i.e., 74 kg}}{\text{Wt of renally impaired patient, kg}} \right] \times \left[\frac{\text{Fractional mg dose from Eq 3}}{\text{dose from Eq 3}} \right] \quad (\text{Eq. 4})$$

Assume the dose for a normal patient (without renal impairment) is 8 mg/kg , and the weight of the renally impaired patient is 55 kg . The fractional mg dose calculated above is 31.9%. Substitution into Eq. 4 gives a dose of 3.43 mg/kg (where the dosing interval remains unchanged).

Four quick notes: (1) if a loading dose is employed, it remains the same regardless of renal function, viz., it is not altered in a renally impaired subject (Tozer, reference 3); (2) although the focus here has been reduction of dose in renally impaired patients, dosage interval may alternatively be extended, or a combination of dose reduction and dosage interval extension may be employed; (3) all methods described here assume and require activity and toxicity are related to intact drug and that drug plasma free fraction be unaltered in renal failure. If protein binding is altered in renal disease, this would necessitate a more complex analysis; and (4) a plot of drug CL vs. CL_{Cr} may not be linear. Regardless of

these 4 caveats, the principles discussed herein are still applicable, provided an appropriate equation is fit to the relevant data.

REFERENCES

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3. Tozer, T N; Nomogram for modification of dosage regimens in patients with chronic renal function impairment. *J. Pharmacokin Biopharm.* 2:13-28, 1974.